## In this issue

The issue starts with the fourth part of series explaining his MOV and PAD symbolism for new-strategical twomovers. While three previous parts were limited to changes in two phases, this time three phases are on the menu. Then I have selected and commented a few problems that interested me recently.

Juraj Lörinc

## Explaining MOV \& PAD symbols (part 4)

Changes in three phases differ from changes in two phases not only by the number of phases. There is also a new kind of repetition not possible in two phases - so called phase repetition. It appears when the changed element is not repeated in the pair of phases currently considered, but in some variation of the other phase. ${ }^{1}$

The phase repetition is described in MOV symbolism in the following way. The already identified type of change ( $\mathbf{M}, \mathbf{O}, \mathbf{V}$ or $\mathbf{R}$ ) is supplemented by index $\mathbf{m}$ or $\mathbf{0}$ describing the fact that mate or defence repeats in other phase. The Table 3 shows basic phase repetition changes in one variation:

[^0]

Table 3. Changes in three phases and one variation with phase repetition.

- The 1st and 2nd phase show the change of mate with mate phase repetition Mm (variation aA is changed to aB , yielding change of mate $\mathbf{M}$, and the mate $B$ is repeated in the other phase, that is why there is also $\mathbf{m}$ ).
- The $2 n d$ and $3 r d$ phase show the transference of mate with defence phase repetition (the variation aB is changed to bB , yielding $\mathbf{O}$, and defence a is repeated in the other phase, requiring also 0).
separated MOV symbols, each describing relationship between one pair of phases, third being almost disregarded. Almost - exactly because of the possible phase repetition. (translators note)
- The 1 st and the 3rd phase show free change $V$ with mate phase repetition $\mathbf{m}$ as well as defence phase repetition 0 ( aA is changed to bB , that is free change $\mathbf{V}$, but both mate B and defence a are repeated in the other phase, yielding summary Vmo).
In this way of comparing each pair of phases we can get new-strategical symbols for compositions with three or more phases. The identified symbols for each pair then should be ordered from those with the highest degree of repetition to the smallest, keeping the order RMOV and dividing them by symbol "-". It is also useful to use new-strategical tables added to each composition.

Let's take one change from Z-32-44 family described by Table 4 (problem 203) and try to determine its MOV symbol. ${ }^{2}$


Table 4. Change of mate and defence in three phases.
${ }^{2}$ Of course, MOV symbol is given also in the shown table, but the question is, how this can be determined. (translators note)

203 - Vladimir Timonin 1st Prize Shakhmaty 1970

$1 \ldots \mathrm{~K} \times \mathrm{d} 4$ a $2 . Q \times e 5 \#$ A
$1 . . . e \times d 4$ b 2.Rc2\# B
1.Sg×e5? [2.R×d3\#]
1...K×d4 a 2.Sg4\# C
1...Q×d4 c 2.Rc2\# B
1...Qe4!
1.Sd×e5! [2.R×d3\#]
1...K×d4 a 2.Sd7\# D
1...R×d4 d 2.Rc2\# B

## MO-MO-MO

## Z-32-44

|  | a | b | c | d |
| :--- | :--- | :--- | :--- | :--- |
|  |  | A | B |  |
|  | C |  | B |  |
|  |  | D |  |  |

When we compare the 1st and 2nd phases: $a A$ is changed to $a B=M, b B$ is changed to $\mathrm{cB}=\mathbf{O}$. The 2nd and 3rd phases show MO change and the 1st and 3rd phases MO as well. The pairs of phases then should be put together to form MO-MO-MO = change of mate and
defence in three phases. The Slovak nonsystematic terminology uses name threephase semi-free change. Similar change - three-phase change of mate and variation (meta-free change) - MV-MVMV - is present in 204.

1.DA×d4! zz
1...Kc5 a 2.DAd6\# C
1...Ke4 c 2.DAf4\# D
1.AL×d4! zz
1...Kc5 a 2.ALb6\# E
1...Ke6 d 2.ALf6\# F

## MV-MV-MV

Z-32-46

|  | a | b | c | d |  |
| :--- | :--- | :--- | :--- | :--- | :--- |
|  |  | A | B |  |  |
|  |  | C |  | D |  |
|  |  | E |  |  | F |

The changes with phase repetition are somewhat more complicated to analyse and describe. Let's take as an example the Table 5 showing the pseudo-carousel change (problem 205).


Table 5. Pseudo-carousel change.
205 - Juraj Brabec
3rd Prize Shakhmaty 1972

1...Rc5 b 2.Re7\# A
1...Bc5 c 2.Sac7\# C
1.Sdb4? [2.Qd5\#]
1...Rf5 a 2.Re7\# A
1...Rc5 b $2.5 \times \mathrm{c} 5 \# \mathrm{~B}$
1...Rc7!

## 1.Sc3! [2.Qd5\#]

1...Rf5 a 2.Sc7\# C
1...Bc5 c 2.S×c5\# B
(RmVmoo)-(RmVmoo)-MmmOoo
Z-32-33

|  |  | a | b | C |
| :--- | :--- | :--- | :--- | :--- |
|  |  |  | A | C |
|  |  | A | B |  |
|  |  | C |  | B |

This new-strategical table can be rearranged to the form of Table 5 by considering the set play as the last phase instead of the first.

- Comparison of the 1st and $2 n d$ phase in Table 5 shows the following. The variation aA is changed to aC , yielding M. But both mates A and C are repeating also in the other phase, giving the change of mate with phase repetition of both mates: Mmm. The other variation bB is changed to cB , yielding transference $\mathbf{O}$. But even here both defences are appearing in the other phase, giving the transference of mate with phase repetition of two defences: Ooo. So the change can be described by summary symbol MmmOoo.
- Comparison of the 2nd and 3rd phase we see the mate $B$ is changed to C , but the C is repeated in the other variation of the 2nd phase, yielding (R. But the mate $B$ is present in the first phase, so phase repetition of mate, adding the small $\mathbf{m}$ to get ( $\mathbf{R m}$. The other change is free $\mathrm{aC} \rightarrow \mathrm{bA}$, so the change continues by V, but one mate and both defences are repeating in the other phase, getting the Vmoo. This concludes the repetition and
the parenthesis can be closed to summary symbol (RmVmoo).
- Comparison of the 1st and 3rd phases gives the same summary symbol (RmVmoo).

When three symbols are ordered and put together, we get the MOV-symbol for the pseudo-carousel change (RmVmoo)-(RmVmoo)-MmmOoo.

The changes in which all pairs of phases have the same type of change and at least one of elements is repeated in variations or phases, are called cyclic. Such new-strategical themes are shown in 206 and 207.

If some group of elements forms a closed unit, the MOV symbol for this group can be closed into $\}$ parenthesis. E.g. in the Table 6 (composition 206) the semireciprocal change of mates (RM) is present in all pairs of phases, featuring also both mates in the third phase, to get correct symbol ( $\mathbf{R m M m}$ ). As changes in all phases form a whole complex, the final symbol will be: \{(RmMm)-(RmMm)(RmMm) .


Table 6.Cycle of semi-reciprocal changes in three phases ${ }^{3}$.

[^1]206 - Sergej Shedej \& Eduard Livshic 1st Prize Pravda 1968

1...Qc5 a 2.Qf5\# A
1...Q×a3 b 2.Q×f3\# B
1.S3g4? [2.Sf2\#]
1...Qc5a2.Q×f3\# B
1...Q×a3 b 2.Qf4\# C
1...Q×f7!
1.S5g4! [2.Sf2\#, Sf6\#]
1...Qc5 a 2.Qf4\# C
1...Q×a3 b 2.Qf5\# A
1...R×g4 2.B×h7\#
1...Q×f7,Rh6 2.Sf2\#
\{(RmMm)-(RmMm)-(RmMm) $\}$
Z-32-23

|  |  |  |
| :---: | :---: | :---: |
|  |  | A B |
|  |  | ${ }^{\text {c }}$ |
|  |  | A |

207 shows another cyclic theme - threephase cycle of mate transference and free change $\{\mathbf{O V m m}-\mathrm{OVmm}-\mathrm{OVmm}\}$.

## 207 - Eduard Livshic

 1st-2nd Prize e.a.Shakhmaty v SSSR 1965

1...S×e2 a $2 . B \times h 2 \#$ A
1...Q×e2 b 2.Sc4\# B
1.e4? [2.Sg6\#, 2.Re6\#]
1...B×e4 c 2.Sf3\# C
1...S×e4 d 2.B×h2\# A
1...d×e3 e.p.!
1.Qa5! [2.Re6\#]
1...Q×d5 e 2.Sc4\# B
1...B×d5 f $2 . \mathrm{Sf} 3 \# \mathrm{C}$
1...S×a5 2.B×d4\#
1...Sd8 2.B×d4\#

## \{OVmm-OVmm-OVmm\}

Z-32-63

|  |  | a | b | c | d | e | $f$ |
| :--- | :--- | :--- | :--- | :--- | :--- | :--- | :--- |
|  |  | A | B |  |  |  |  |
|  |  |  |  | C | A |  |  |
|  |  |  |  |  |  | $B$ | $C$ |

208 is something different, introducing three-phase change of two mates, two mate transferences and two free changes.

## 208-Ottavio Stocchi

2nd Prize Tijdschrift v. d. KNSB 1954

1...Rb5 a 2.Bd3\# A
1...e5 b 2.Sf2\# B
1.Sc4? [2.Rf4\#]
1...Be3 c 2.Bd3\# A
1...Re3 d 2.Sf2\# B
1...Rf1!
1.Sd1! [2.Rf4\#]
1...Be3 c 2.Sc3\# C
1...Re3 d 2.Sdf2\# D
1...Rf3 2.B×f3\#
1...e5 2.Sf6\#

## MmMm-OoOo-VmoVmo

Z-32-44

|  | a | b | c | d |  |
| :--- | :--- | :--- | :--- | :--- | :--- |
|  |  | A | B |  |  |
|  |  |  |  | A | B |
|  |  |  |  | C | D |

Let's have a look onto one more example of creation of MOV-symbol for
complicated change with variation as well as phase repetition (Table 7, diagram 209).

209 - Juraj Brabec
2nd Prize Šachové umění 1975

1...Q×d4 a 2.Sc3\# A
1...Be3 b 2.f3\# B
1...B×f4 c 2.Sd2\# C
1.Sc4? [2.Qe5\#]
1...Q×d4 a 2.f3\# B
1...e×f6 d 2.Sd6\# D
1...K×d4 e 2.Sa3\# E
$1 . . . \mathrm{Sg} 4$ !
1.Sg4! [2.Qe5\#]
1...B×f4 c 2.f3\# B
1...exf6 d 2.S×f6\# F
1...K×f4 f $2 . S \times h 6 \#$ G
1...S×g4 2.Qf5\#
(RVmo)Vo-(RVmo)Vo-MOooV
Z-33-67

|  | a | b | c | d | e | f |  |
| :--- | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  |  | A | B | C |  |  |  |
|  |  | B |  |  | D | E |  |
|  |  |  |  | B | F |  | G |

Clearly, the variations $\mathrm{aA}, \mathrm{bB}$ of the 1 st phase form the reciprocal element with
the variation aB of the 2nd phase, yielding ( $\mathbf{R}$. But what variation of the 2nd phase should be compared with variation bB - should it be dD or eE? In the first case (dD), the semi-reciprocal parenthesis would be completed by change Vmo and the remaining variation cC with eE would form Vo. In the second case (eE) the semi-reciprocal parenthesis would be completed by Vm and variations cC-dD would yield Voo. So we have seemingly two possibilities: ( RVmo )Vo and (RVm)Voo. The symbols seem equivalent, but as the preferred order of adding the symbols is $\mathbf{R}, \mathbf{m}, \mathbf{o}$, $\mathbf{M}, \mathbf{O}, \mathbf{V}$, the first symbol is preferred: (RVmo)Vo.

The final symbol of this new-strategical change is (RVmo)Vo-(RVmo)VoMOooV.


Table 7. Obviously, no standard name for this kind of combined change.
(to be continued)

Now for something completely different
\#2 section of the Belgrade Internet Tourney 2019 requested reciprocal change of two mates, spread over 4 phases, with 1 variation per phase. From the award I have chosen 210 with potential for rounding out ideal showing.

## 210 - Vasil Markovcij \& Michail Khramcevich

1st Honourable Mention Belgrade 2019

1.Qd1? zz
1...K×d6 a 2.Bf4\# A
1...S~ b 2.Qd5\# C
1...Sb4!
1.Qb1? zz
1...K×d6 a 2.Qb8\# D
1...S~ b 2.Sc8\# B
1...Sf4!
1.Qa5? zz
1...K×d6 a 2.Sc8\# B
1...S~ b 2.Q×c5\# E
1...Sb4!, Sf4!
1.Rf8! zz
1...K×d6 a $2 . \mathrm{Sb} 5 \#$ F
1...S~ b 2.Bf4\# A


Variations with mates A and B are showing the required pattern, other 4 mates complete the Z-42 change with two
semi-reciprocal changes included. The judge Paz Einat who provided the theme considers this an ideal way of showing the theme. Well, there is double refutation, that could be connived as a starting point of separation of refutations, but the truth is the form is not ideal. Can this be improved?

211 opens a selection form the recently closed FIDE World Cup.

## 211 - Valerij Shanshin

 7th Honourable Mention7th FIDE World Cup 2019

1.Rd1? [2.Sc3\#], 1...R×e8!
1...Q×d4 a 2.Qe4\# A
$1 . . . S \times d 4$ b 2.Qf7\# B
1.Rd3? [2.Sc3\#],1...exd4!
1...Q×d4 a 2.e4\# C
1...S×d4 b 2.Bf7\# D
1.Sf5! [2.Sc3\#]
1...Q×d4 a $2 . S \times \mathrm{e} 7 \# \mathrm{E}$

1 ... $\mathrm{S} \times \mathrm{d} 4$ b $2 . \mathrm{Q} \times \mathrm{d} 6 \# \mathrm{~F}$
1...R×e8 2.S×b6\#
1...exd4 2.Q×e6\#
1...S×f5 2.Bc6\#

I have mentioned already in the previous Conflictio issue the complete absence of antagonistic problems in the fairy section. As this point was taken by multiple readers, I would like to emphasize even more that in this case I do not think this is the judge's fault. Petko Petkov does not hesitate to award a good quality antagonistic problem (e.g. recently I was a happy recipient of the 1st Prize for fairy twomover in Olympic Tourney, judged by Petko).

Here I see the issue with the overall quantity and quality of the output of antagonistic fairy problems. Having some experience with many genres I can say that it is much easier to produce average quality helpmate or helpselfmate than average quality twomover or selfmate. Excellence is usually difficult in all genres. But almost any author produces also average problems if he is able to make excellent specimens. And the lower resistance of helpplay results in the fact that many authors choose easier way...

Anyway, the World Cup has yielded many interesting antagonistic works in orthodox sections. From among twomovers I have selected 211.

The well known change of 2 mates over three phases (Z-32-26, MM-MM-MM) is made interesting due to multiple points:

- black selfpins in tries are replaced by wS access to d6 and e7 in solution,
- repeated mating squares e4, f7 in tries,
- refutations motivated by hidden white weakenings.

212 has won the threemover section.

1...S×b6 2.Q×c7 [3.B×b6\#, $3 . Q \times b 6 \#]$ Bd8 3.B×b6\# MM
1.b×c7! [2.d×c8=S B×d8 3.Bb6\#] MM
$1 . . . B \times d 82 . c \times d 8=S[3 . S \times b 7 \#] \quad M M$
1...Sb6 2.B×b6+K×b6 3.c8=S\# MM
1...Sd1~2.Bc3+Kb6 3.d×c8=S\# MM

The first look on the diagram produced a strange feeling in me: what is this going to be about? The key vacating b6 provided quiet threat with d-pawn promotion, in which wQ is not needed and is captured by grace of Be7. Quick capture of $w Q$ defends as bB gains access to c7-b6, but then the key c-pawn quietly promotes on d8. In other two variations, the checkmate is given by pawns promoting on c 8 , without or with capture of Sc8.

4 model mates with active roles of promoted knights in solution is an impressive achievement. Including the set model mate that is changed in solution, there are even 5 model mates.

213 has won the moremover section.

213 - Alexandr Kuzovkov 1st Prize 7th FIDE World Cup 2019

1.Bd3? [2.Sg6\# A, 2.Rf5\# B], 1...c×d3!
1.Bb1 ? [2.Sg6\# A, 2.Rf5\# B], 1...Rc2!
1.Bh7! [2.Sg6+ A Ke4 3.Se7+ Kf4 4.Sd5\#]
1...b5 2.Rf5+ B Ke4 3.Rf6+ Kd5 4.Qc5\#
1...Sc7 2.Bd3 [3.Sg6\#, 3.Rf5\#]
2...cxd3 3.Sg6+ A Ke4 4.R×e5\#
1...R2a5 2.Bb1 [3.Sg6\#, 3.Rf5\#]
2...S×b1 3.Rf5+ B Ke4 4.Q×f3\#

The judge Alexandr Feoktistov has written the following about 213:
„A very harmonious fourmover fitting the definition of Adabashev synthesis. We can see not only a formal replacement of the function of white moves but also a good tactical filling. The threat and the first variant present battery formation and play, while the other two variants feature White's anticritical moves with strict separation of play on the third move, supported by thematic attempts. An interesting nuance: the anticritical moves are made on a single line by a single piece. Particularly nice is the variant
1...Sc7, when White uses interference as well as blocking on the mating move. A similar concept was implemented earlier by A. Kuzovkov in the 2017 FIDE Cup. This entry, however, involves a new mechanism, and moreover, a thematic key, which justify the claim that the "go-and-come" idea is presented in two variants."

Well, while I like 213 a lot, I am not so sure about degree of analogy of variations in pairs forming so called Adabashev synthesis (currently very popular term).

Let's start with the threat and 1...b5 variation.

- In the threat, it is wSh8 that makes all three moves, forming and firing the Siers battery, checkmating as usual. The choice of the 3rd move is motivated solely by the need to guard d5 against 3 ...Kd5. If d5 was guarded, wS could head for checkmate by 3.Se8+ or 3.Sh4+.
- After 1...b5, Ra6 guards g6, so that the 3rd white move must cut this line. Additionally, 3.Rf6 also guards e6 in mate, having thus two functions besides firing the battery.
Is this clean analogy?
I think the situation is even worse with other pair of variations related to two tries with wB critical moves:
- 1 ...Sc7 closes line of Bb 8 allowing checkmate $2 . \mathrm{R} \times \mathrm{e}$ \#. It means that the refutation of the try 1.Bd3? is no longer refuting, although this move can be played and indeed is played in the variation (providing additional distant selfblock praised by the judge).
- 1...R2a5 completely abandons the possibility to play the refuting
move Rc2. This leaves Black only with the bad defence $2 \ldots \mathrm{~S} \times \mathrm{b} 1$ unguarding directly f3 for checkmate.
While defence motifs of $1 \ldots \mathrm{Sc} 7$ and 1...R2a5 are the same (most common direct guarding of the checkmating square of the threat), the errors are completely different.

So, to sum up my arguments: I think the analogy within pairs of variations is rather weak. Can the term "Adabashev synthesis" be used for such a free analogy?

But as I said at the beginning, I like 213, besides the strategical richness of its variations I would like to point its key moving bishop in the opposite direction compared to tries and motivating battery play.

From the selfmate section I have selected 214 with its mid-board spring formed by Bc4 and Rb4. How can the energy stored in the spring be released?

214 - Valerij Gorbunov
5th Commendation
7th FIDE World Cup 2019

1.Sde2? d4! 2.Qe3+ d×e3+ 3.Kf1 Bd5 4.Sf4+ R×f4\#, 4...Kc4!
1.Sh5 Ke4 2.Sf6+ Kd3 3.Se8 Ke4 4.Sd6+ Kd3 5.Se2 d4 6.Qe3+ d×e3+ 7.Kf1 Bd5 8.Sf4+ R×f4\#

If White opens the lock prematurely, bK can escape to the square vacated by bB. Thus the preparatory manoeuvre with the single aim to guard c4.

This is not so complicated, after all, this s\# has got only the Commendation in the top formal competition, but I like the patience with which White controls the mid board Black force ready to fire.

Before presenting the new 216 I would like to present 215 eponymous for Pituk theme with the following definition (taken from M. Velimirović's Encyclopedia): "After the key the black King has three thematic flights. In three variations these squares are cyclically controlled: one by opened white line, one by selfblock and one is guarded on the mating move."

215 - Alexander Pituk
4th Prize Népszava 1941

1.Sf5! [2.Sb×d6\#]
1...B×e5 2.Bf3\#
1...e×f5 2.Re3\#
1...d5 2.Bc2\#
(1...Kd5,K×f5,K×e5 2.Sb×d6\#)

The key 1.Sf5 gives two flights d5 and f5, while e5 is present in the diagram position. Black King's moves to flights are not defending. While thematical defences $1 \ldots B \times e 5$ (direct guarding) and $1 \ldots e \times f 5$ (unguard of $d 4$ ) are rather straightforward, $1 \ldots \mathrm{~d} 5$ is quite witty: Black closes the 5th rank that would be opened by threat move expecting white to close b8-e5 by the threat move as well. This is already Levman theme, yet 1...d5 moreover opens the line b8-a5, adding spice to this.

Crucial is however the error play: line openings, selfblocks and guarding in the mate, as described in the theme definition.

And let's have a look at 216 that appeared in the tourney currently in the process of judging (in my hands).

216 - Jean-Marc Loustau
The Problemist 2018


1...Ke6 2.Qc5\#
1...Kc6 2.Bb7\#
1...LEc6 2.Bc4\#
1.Qe2! [2.Qc4\#]
1...LEc5 2.Qe4\#
1...LEd4 2.LEe4\#
1...LEe6 2.Se4\#
1...Ke6 2.Bc4\#
1...Kc6 2.Qb5\#
1...Kd4 2.Qd3\#

Obviously, the fairy setting with unlimited number of Chinese pieces allows nicer position and even from the thematical point of view, more is expected. And 216 delivers.

There are 2 set flights e6, c6, both provided with mates. The key adds two more flights, c 5 and d 4 , leaving the bK rather free midboard. Still the threat by queen moving next to bK naturally guards all of them.

Now for the thematical defences. All are executed by the same piece, LEb6. Two cut future lines c4-c6 and c4-e4, the last guards directly over bK. All of them selfblock (c5, d4, e6), moreover all of them provide hurdles for Chinese pieces guarding the same flights cyclically (e6, c5, d4). So White then mates by antibattery moves to the same square e4 by $Q$, LE and $S$, choosing the piece able to directly guard the third thematical flight (d4, e6, c5). Moreover, the antibattery guards also c6 in all cases (this flight is not thematical for Pituk theme).

Additionally, the mates following set flights are changed, one of them transferred (Bc4\#).

All in all, this is very good classical fairy twomover with airy position underlining the technical achievement. How it will finish in its competition, it remains to be seen, but I plan to award it, that is clear.

Juraj Lörinc

Conflictio is an e-zine dedicated to chess problems with antagonistic stipulations
Editor: Juraj Lörinc, juraj.Iorinc+conflictio@gmail.com


[^0]:    ${ }^{1}$ Although it was not emphasized by Juraj Brabec at this point, I would like to explain the main point of MOV symbolism for more phases: the changes are always considered by pairs of phases. That is why change in three phases is described by three

[^1]:    ${ }^{3}$ This theme is called Rice cycle in the $P$. Gvozdják's Cyclone systematics. (translator's note)

